Grasp Densities for Grasp Refinement in Industrial Bin Picking

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Motivation



Figure: SCAPE bin picker.

- Automatic picking of randomly distributed objects from bins: 'Holy Grail' in the world of robot automation
- Distinctive feature of bin-picking scenario: grasp errors are allowed
 - Conveyor belt with queue
- Idea: Utilization of huge amount of grasp data generated in industrial bin-picking for grasp learning
- Basic technique: Novel concept of grasp densities (Detry et al. (2010))
- Our hypotheses: analysis of relative success of different grasp poses can improve performance of bin picking robot

Pose Space and Representation

- Pose: Elements of the six dimensional space of the special Euclidean group $SE(3) = \mathbb{R}^3 \times SO(3)$
 - Position $oldsymbol{p} \in \mathbb{R}^3$
 - Orientation $R \in SO(3)$
- Object relative gripper pose
- Distribution of grasp densities in pose space represented nonparametrically by particles
 - Calculation of each particle via Kernel density estimation $K_{\mu,\sigma}(x) = \mathbf{N}_{\mu_t,\sigma_t}(\lambda) \Theta_{\mu_r,\sigma_r}(\theta)$
 - Position part: trivariate Normal distribution $\mathbf{N}_{\mu_t,\sigma_t}(\lambda)$
 - Orientation part: $\Theta_{\mu_r,\sigma_r}(\theta)$: (two antipodal) von Mises Fisher distributions





Calculation of of grasp densities

 Calculation of grasp densities p_{X|O=s}(x) follows Detry et al. (2011)

$$p_{X|O=o}(x) = \frac{p_{O|X=x}(o)p_X(x)}{p_O(o)}$$

with pose X and output O (either success O = s or failure O = f)

- **(**) Generation of samples from $p_{O,X}(o, x)$ by selecting grasp x_i and observing outcome o_i
- **②** Keeping only successful samples generates set T of samples from distribution $p_{O,X}(s, x)$: i.e. $T = \{x_i : (s_i, x_i) \in S\}$
- Ontinous grasp density representation through kernel density estimation i.e. elements of T



Calculation of of grasp densities

$$p_{X|O=o}(x) = \frac{p_{O|X=x}(o)p_X(x)}{p_O(o)}$$

• Outcome: our continuous representation d(x) of grasp densities is distributed proportional to $p_{X|O=s}(x)$

$$d(x) = \sum_{i=1}^{n} w_i \mathbf{K}_{\widehat{x}_i,\sigma}(x) \propto p_{X|O=s}(x)$$

- Prior $p_O(o)$ is constant/independent of x
- Problem: Determining prior $p_X(x)$
 - Importance sampling to consider non-uniform sampling
 - Samples are weighted by importance weight w_i



Application of grasp densities

- Usage of grasp densities $p_{X|O=s}(x)$ for different types of analysis (unrestricted/restricted pose space or only downward grasp etc)
- Degree of opaqueness of greenly colored area codes likelihood • values



(a) Averaged over z and orientations



(b) Averaged over z, downward grasp





(a) Best grasp within region of reach (b) Constrained grasp density (green) and optimal grasp position (red)

Figure: Detry et al. (2011).



Grasp densities

• Different visualization of grasp densities for *T*-shaped object from simulation (intensity of red codes likelihood values)



Figure: Left: grasp density. Right: failure-conditional density



Success probabilities

Additional approach

- Going beyond grasp densities: calculating the success probability for given pose, i.e. $p_{0|X=x}(s)$
- In general two ways
 - Generative approach (using grasp densities)
 - Oiscriminative approach
- Generative model
 - Produces distribution that allows sampling of $p_X(x)$ as marginal distribution of $p_{O,X}(o,x)$
- Discriminative model
 - Direct calculation of $p_{0|X=x}(s)$



Generative approach to grasp success prediction

Calculation of $p_{O|X=x}(o)$

$$p_{O|X=x}(o) = \frac{p_{X|O=s}(x)p_O(o)}{p_X(x)}$$

- Calculation of $p_{O|X=x}(o)$ for o = s, f based on KDE on respective set of sample $\{x_i, s_i\}$ or $\{x_i, f_i\}$
 - Sum rule gives $p_X(x) = p_{X|O=s}(x)p_O(s) + p_{X|O=f}(x)p(f)$
- Other values also calculated from sample
 - $p_0(o)$ is calculated from the relative frequency of success and failures



Discriminant methods

- Discriminant methods
 - Learning $p_{O|x=x}(s)$ directly (e.g. kernel logistic regression, Gaussian process classification)
- Simple supervised learning
 - Based on labeled data (pose x_i and output o_i) each sample i
 - Coding output value for success (+1) and (-1) for failure
 - Output from learning machine: probability for success/failure $p_{O|X=x}(s)/p_{O|X=x}(f)$ for certain pose x
- Remark
 - Noisy data, i.e. noise in input variable X and output variable O
 - Unbalanced data (numbers of failures/successes)
- Discriminative methods under consideration
 - Support vector machines
 - Probabilistic output based on Platt (1999)
 - Gaussian process classification
 - Kernel logistic regression



Grasp densities and probabilities for suction gripper

- Example from empirical data/industrial application
- Only certain grasp were performed (restriction by external partner) with suction gripper



Figure: Analysis of grasp density left and probability right (dark red: high propability).



Grasp probabilities from discriminative model for for suction gripper

- Ramifications the same, but discriminative model
- Success probabilities are given for the surface plane (coded by intensity in red)
- Problem of extrapolation for non-tested regions: need for wider exploration of the whole object (e.g. by simulation)



Figure: Left: Output from support vector machine. Right: Output from Gaussian process classification



Summary

- Starting point: improvement of bin picking by empirical analysis of grasping trials
- Several alternatives based on different theoretical underpinnings available



- Current research/suggestions:
 - Extending analysis by simulation
 - Allows easier sampling of pose space (or subspace of it)
 - Use results from different sources (real robot/simulation) for mutual improvements
 - Use different methods (generative/discriminative) in combination



References

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