

IEEE ICRA Workshop on Uncertainty in Automation, May 9, 2011

# A PODS-based Extended Kalman Filter: Quantifying Sensing Uncertainties in Automatic Bird Species Detection

Dezhen Song

Associate Professor

Dept. of Computer Science and Engineering,  
Texas A&M University



*Microsoft*



Smithsonian

**Panasonic**

intel.

## Thanks to:

Ni Qin, Yiliang Xu, Chang Young Kim, Wen Li, TAMU

Ken Goldberg, UC Berkeley

Ron Rohrbach, Cornell Lab of Ornithology

John Fitzpatrick, Cornell Lab of Ornithology

David Luneau, U Arkansas

Hopeng Wang and Jingtian Liu, Nankai University

John Rappole, Smithsonian

Selma Glasscock, Welder Wildlife Foundation

National Science Foundation

The Nature Conservancy

Arkansas Game and Fish Commission

U.S. Fish and Wildlife Service

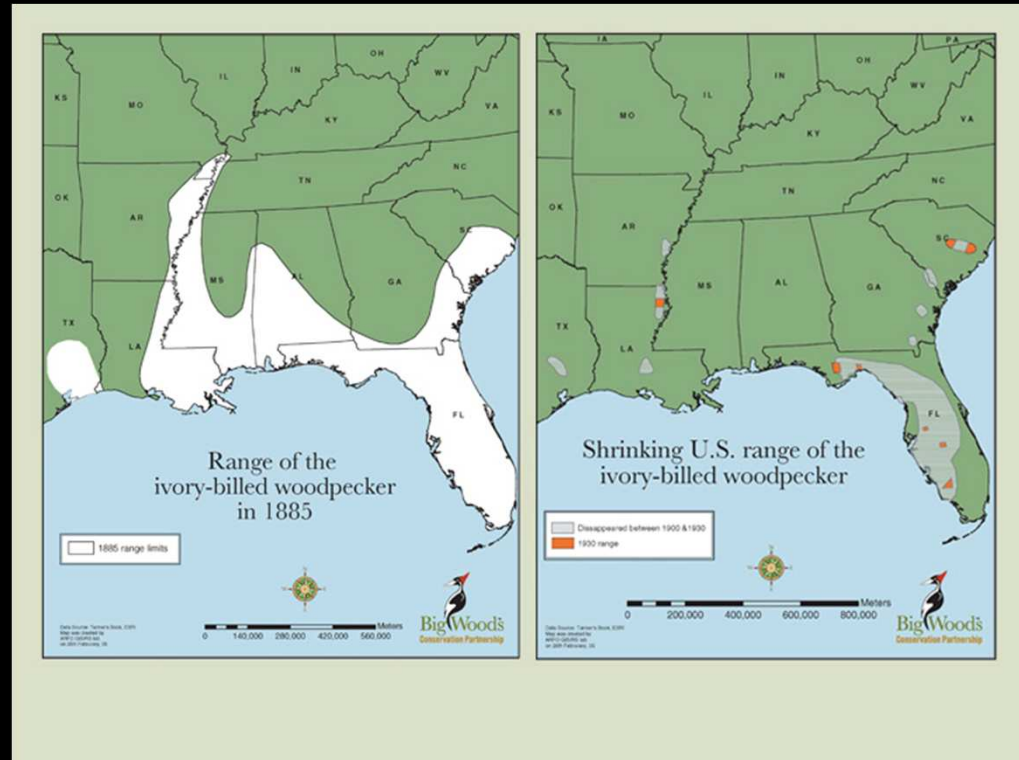
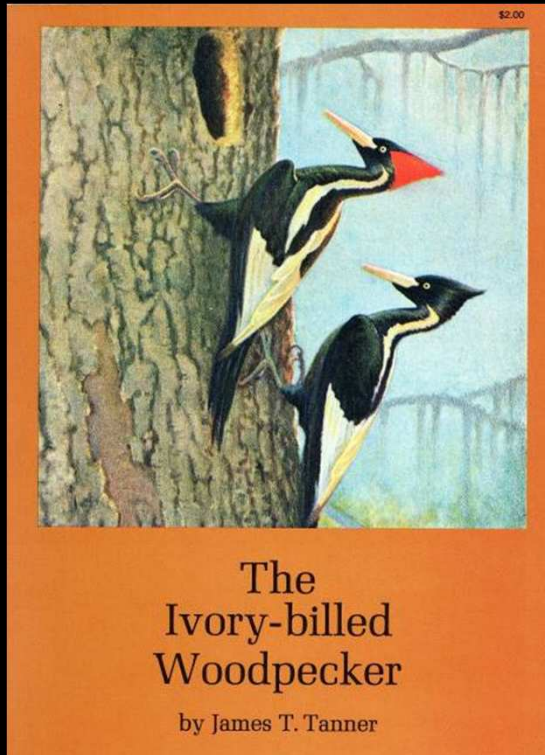
Arkansas Electric Cooperative

Cache River National Wildlife Refuge

Biological observation is  
arduous, expensive, dangerous, lonely



# Assisting the search for IBWO



# Detecting Rare Birds

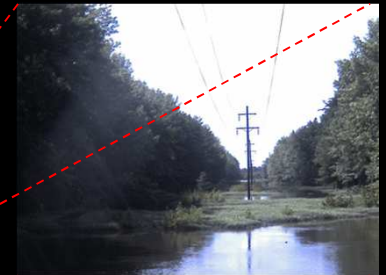
- Low occurrence (e.g., <10 times per year)
- Short duration (e.g., < 1 sec. in FOV)
- Huge video data for human identification.
- Setup and maintenance in remote environments.





# Design Goals

- Accuracy
  - low false negative
- Data reduction
  - filtering the targeted bird
- Easy to setup and maintain
  - monocular vision system



# Related Work

- Natural cameras
  - DeerCam
  - Africa web cams at the Tembe
  - Elephant part
  - Tiger web cams
  - James Reserve Wildlife Observatory
  - Crane Cam
  - Swan Cam



# Related Work

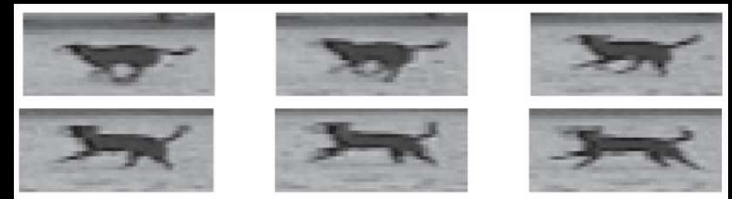
- Motion detection and tracking

- Elgammal, Grimson, Isard ...



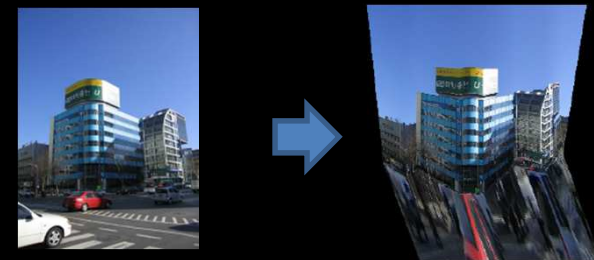
- Periodic motion detection

- Culter, Ran, Briassouli ...



- 3D inference using monocular vision

- Ribnick, Hoiem, Saxena ...

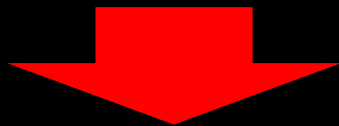




# Related Work

- Kalman Filter
  - SLAM, tracking, recognition ...
  - Convergence

- ample observation data
- manageable noise



- less than 11 data points
- significant image noise



# Bird detection problem

- Input
  - targeted bird body length  $l_b$  and speed range  $\mathcal{V} = [v_{\min}, v_{\max}]$ .
  - a sequence of  $n$  images containing a moving object



- Output
  - to determine if the object is a bird of targeted species

# Assumptions

- Static monocular camera
  - High resolution
  - Narrow FOV



- Single bird in FOV
  - Motion segmentation

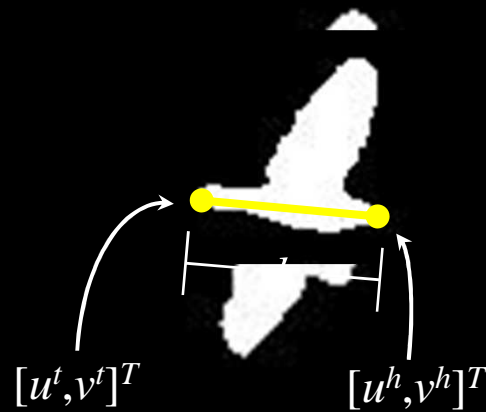
- Constant bird velocity
  - High flying speed
  - Narrow camera FOV



# Observation 1: Invariant body length in Steady flight



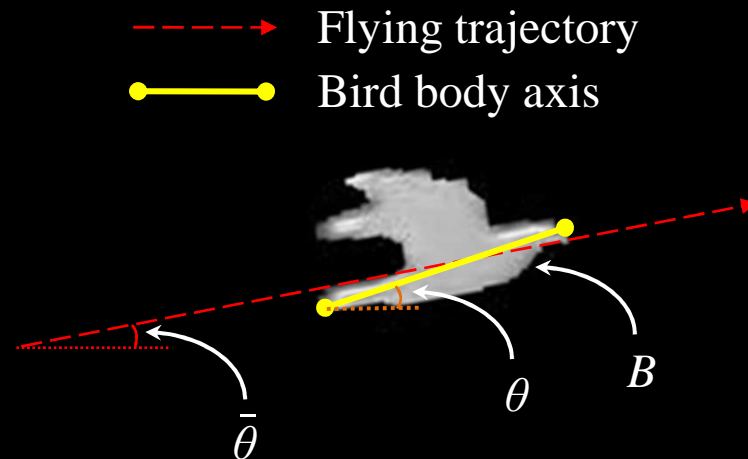
# Invariant body length in steady flight



$$\mathbf{z} = [u^h, v^h, u^t, v^t]^T \text{ (observation)}$$

# Bird Body Axis Filtering

- Observation 2: Body axis orientation close to tangent line of trajectory during steady flight



Difference between  $\theta$  and  $\bar{\theta}$  on 61 bird sequences:

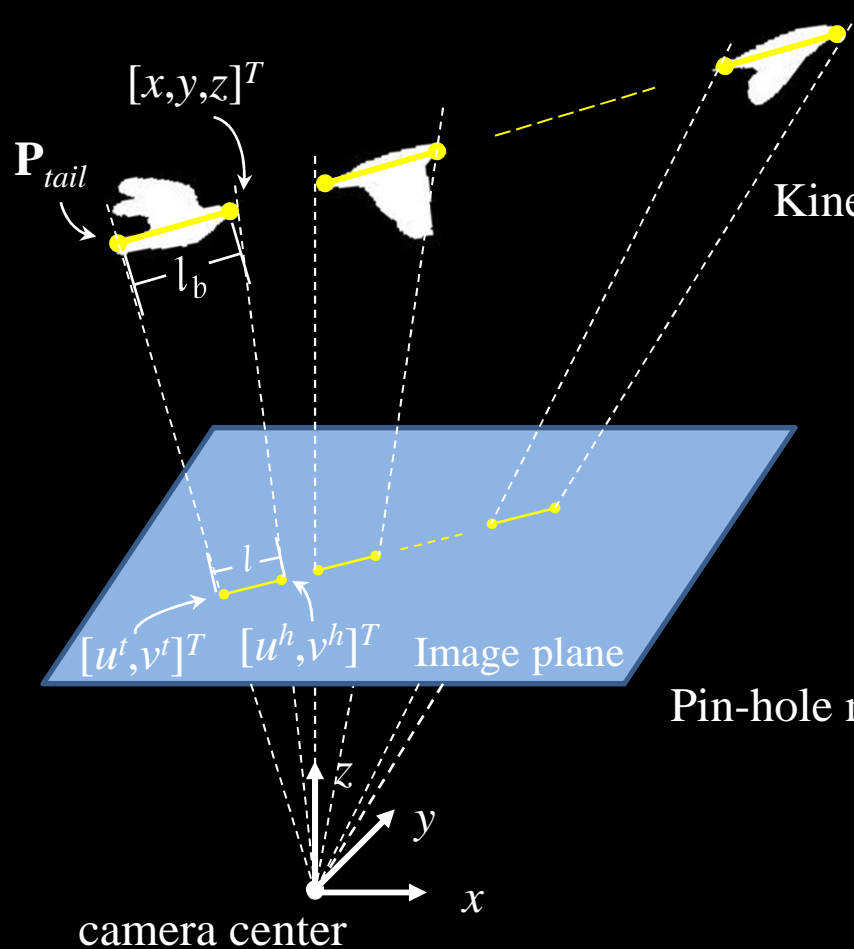
$$\mu_b = 0.8^\circ; \quad \sigma_b = 8.3^\circ$$

$$z = \operatorname{argmax}_{(u^h, v^h) \in B} l, \text{ s.t. } \theta \in [\bar{\theta} - 2\sigma_b, \bar{\theta} + 2\sigma_b]$$

$$(u^t, v^t) \in B$$



# Modeling A Flying Bird



$$\mathbf{p} = [x, y, z]^T \quad \mathbf{v} = [\dot{x}, \dot{y}, \dot{z}]^T$$

Kinematics:  $\dot{\mathbf{x}} = \begin{bmatrix} \dot{\mathbf{p}} \\ \dot{\mathbf{v}} \end{bmatrix} = [\dot{x}, \dot{y}, \dot{z}, 0, 0, 0]^T = \begin{bmatrix} \mathbf{v} \\ \mathbf{0} \end{bmatrix}$

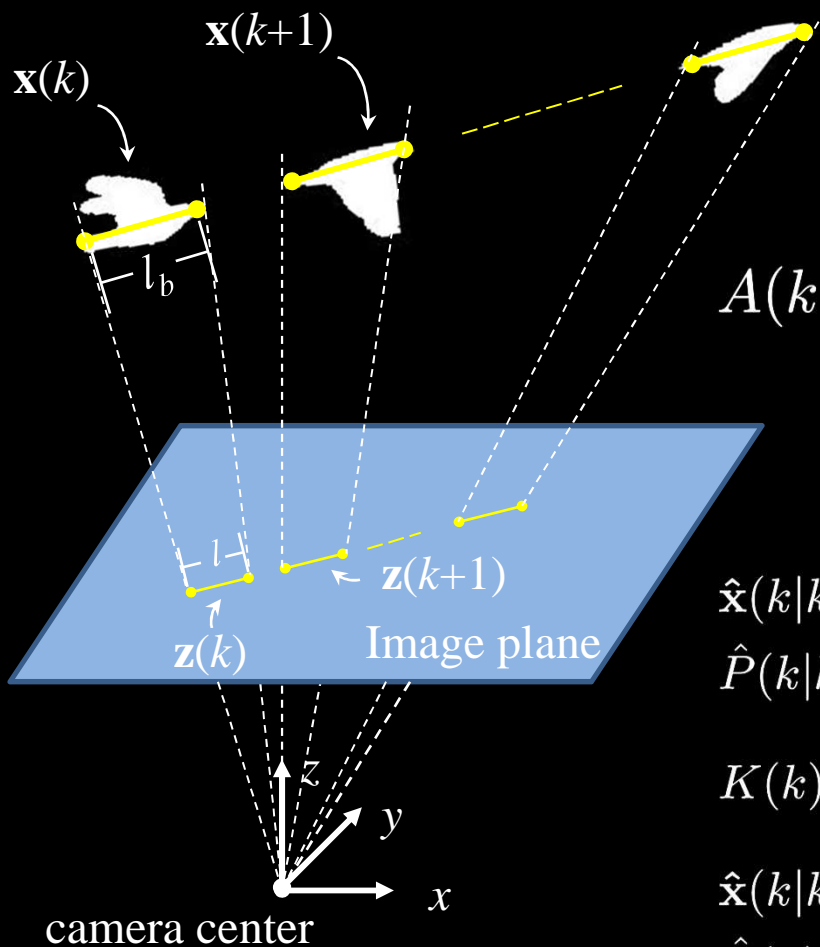
Tail:  $\mathbf{P}_{tail} = [x^t, y^t, z^t]^T = \begin{bmatrix} x - \dot{x}l_b / \|\mathbf{v}\| \\ y - \dot{y}l_b / \|\mathbf{v}\| \\ z - \dot{z}l_b / \|\mathbf{v}\| \end{bmatrix}$

Pin-hole model:

$$\mathbf{z} = \begin{bmatrix} fx/z \\ fy/z \\ fx^t/z^t \\ fy^t/z^t \end{bmatrix} = \begin{bmatrix} fx/z \\ fy/z \\ f \frac{x\|\mathbf{v}\| - l_b\dot{x}}{z\|\mathbf{v}\| - l_b\dot{z}} \\ f \frac{y\|\mathbf{v}\| - l_b\dot{y}}{z\|\mathbf{v}\| - l_b\dot{z}} \end{bmatrix} + \mathbf{w}$$

$$:= h(\mathbf{x}) + \mathbf{w}$$

# Extended Kalman Filter



$$\mathbf{x}(k+1) = A(k+1)\mathbf{x}(k) + \mathbf{q}(k),$$

$$\mathbf{z}(k) = h(\mathbf{x}(k)) + \mathbf{w}(k),$$

$$A(k+1) = \begin{bmatrix} \mathbf{I}_{3 \times 3} & \Delta T(k+1|k)\mathbf{I}_{3 \times 3} \\ \mathbf{0}_{3 \times 3} & \mathbf{I}_{3 \times 3} \end{bmatrix}$$



$$\hat{\mathbf{x}}(k|k-1) = A(k)\hat{\mathbf{x}}(k-1|k-1),$$

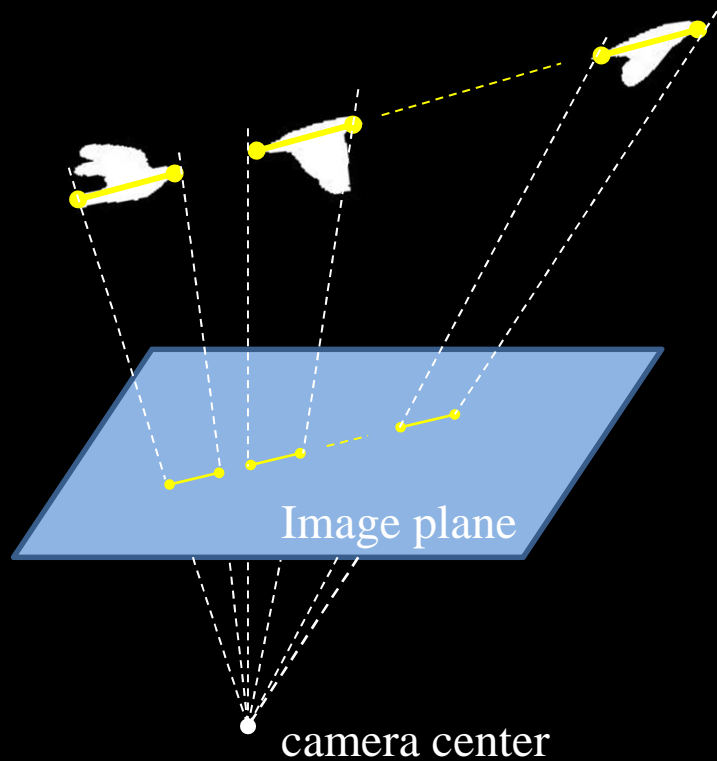
$$\hat{P}(k|k-1) = A(k)\hat{P}(k-1|k-1)A^T(k) + Q(k),$$

$$K(k) = \frac{\hat{P}(k|k-1)H^T(k)}{H(k)\hat{P}(k|k-1)H^T(k) + W(k)},$$

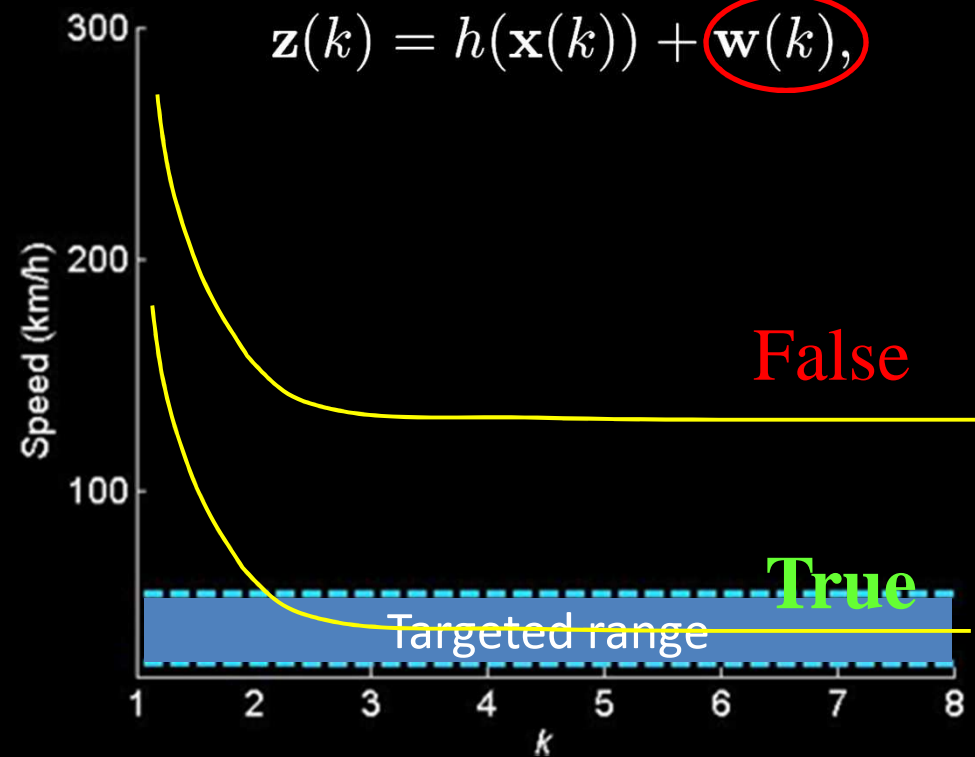
$$\hat{\mathbf{x}}(k|k) = \hat{\mathbf{x}}(k|k-1) + K(k)(\mathbf{z}(k) - h(\hat{\mathbf{x}}(k|k-1))),$$

$$\hat{P}(k|k) = (\mathbf{I}_{6 \times 6} - K(k)H(k))\hat{P}(k|k-1),$$

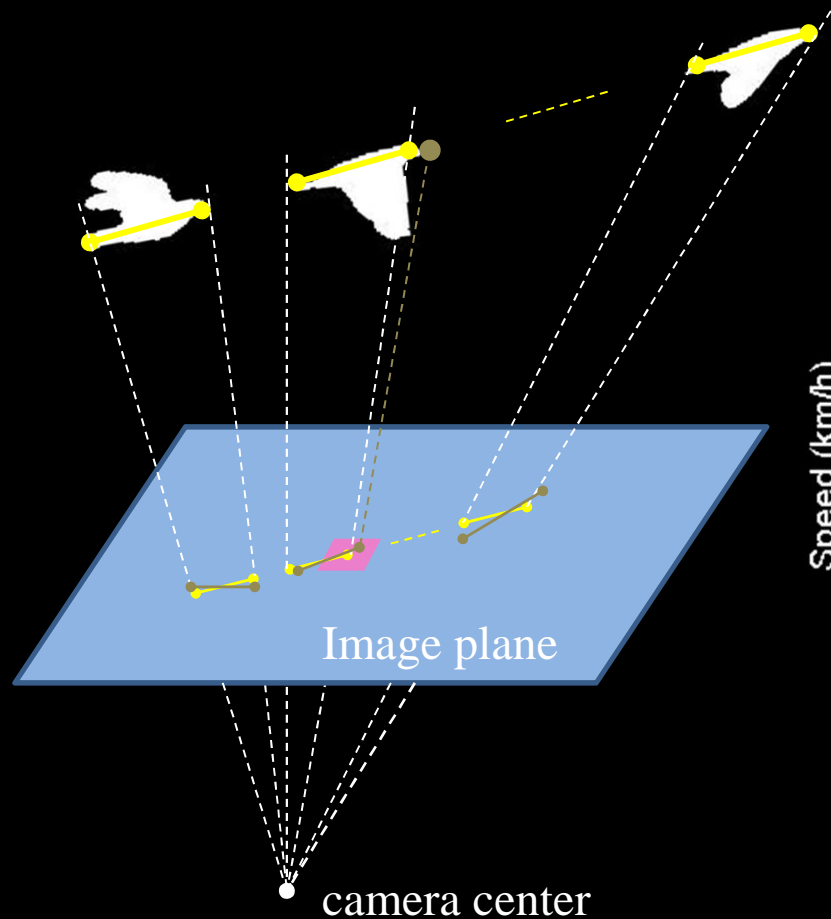
# Determine Species for Noise-free Cases



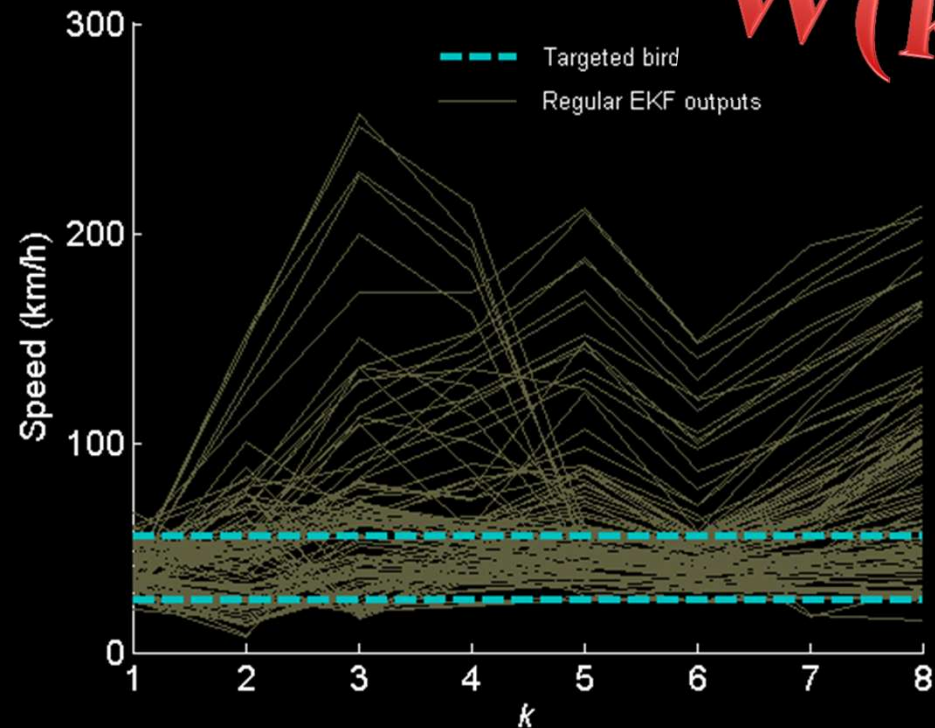
$$\mathbf{x}(k+1) = A(k+1)\mathbf{x}(k) + \mathbf{q}(k),$$
$$\mathbf{z}(k) = h(\mathbf{x}(k)) + \mathbf{w}(k),$$



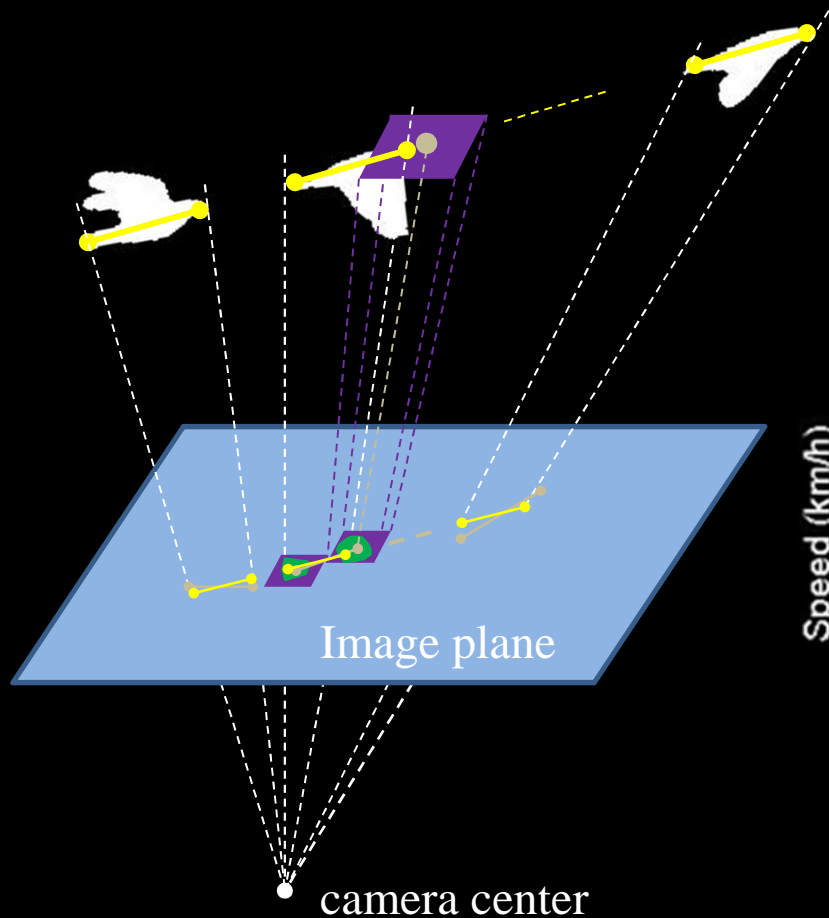
# Estimation with Observation Noises



$$\mathbf{x}(k+1) = A(k+1)\mathbf{x}(k) + \mathbf{q}(k),$$
$$\mathbf{z}(k) = h(\mathbf{x}(k)) + \mathbf{W}(k)$$



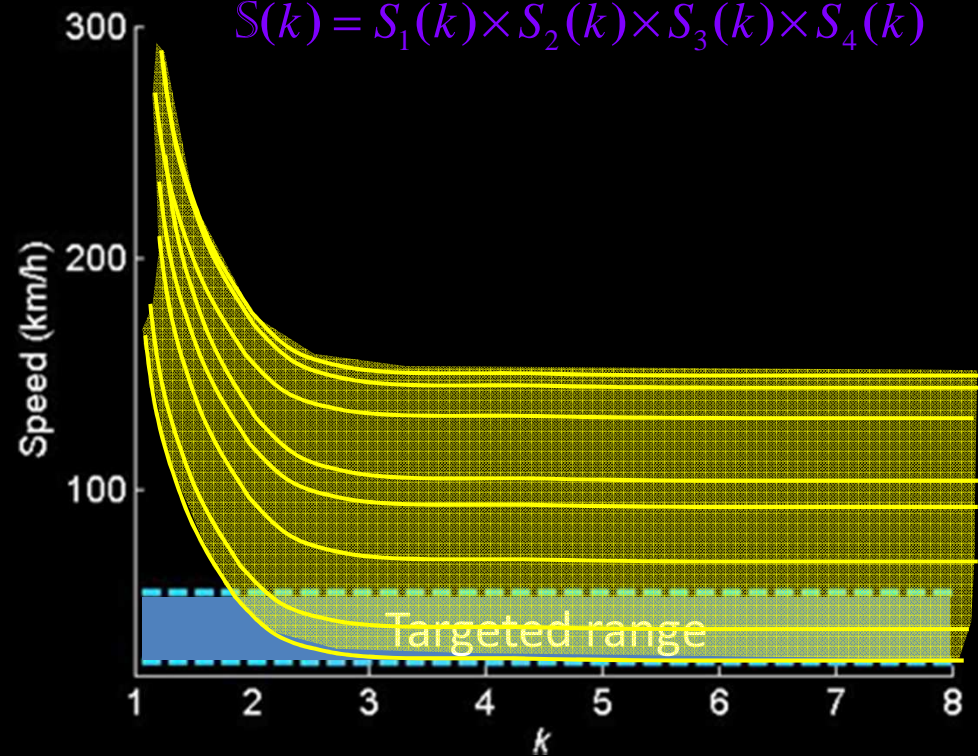
# Probable Observation Data Set (PODS)



$$S_1(k) = [u^h(k) \pm \tau] \quad S_2(k) = [v^h(k) \pm \tau]$$

$$S_3(k) = [u^t(k) \pm \tau] \quad S_4(k) = [v^t(k) \pm \tau]$$

$$S(k) = S_1(k) \times S_2(k) \times S_3(k) \times S_4(k)$$



$$\varepsilon(\mathbf{X}^{1:n}) < \delta$$

# EKF Convergence Metrics

EKF converges  $\iff \|\hat{\mathbf{v}}(k|k) - \hat{\mathbf{v}}(k-1|k-1)\| \rightarrow 0$

$$\varepsilon(\mathbf{X}^{1:n}) = \sum_{k=2}^n \omega(k) \|\hat{\mathbf{v}}(k|k) - \hat{\mathbf{v}}(k-1|k-1)\|$$

$$\omega(k) = E \left( \frac{\|\hat{\mathbf{v}}\|}{\|\hat{\mathbf{v}}(k|k) - \hat{\mathbf{v}}(k-1|k-1)\|} \right)$$



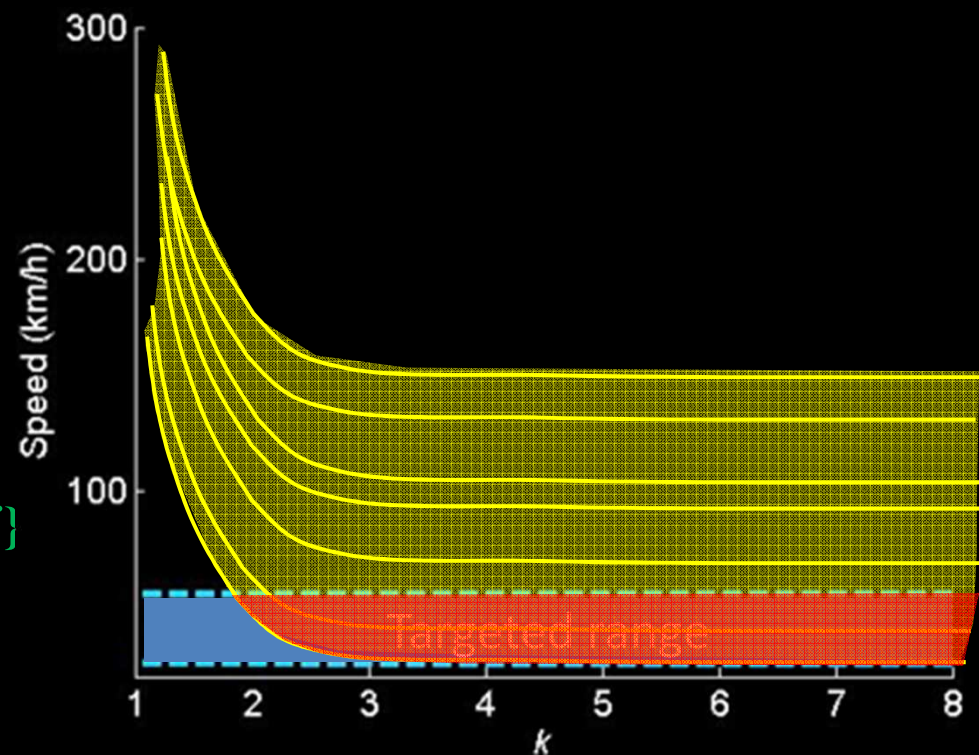
# PODS-EKF

Decision-making:

$$I(\mathbf{Z}^{1:n}) = \begin{cases} 1 \text{ (accept) if } \mathcal{V} \cap \mathcal{V} \neq \Phi \text{ and } \mathcal{Z}^{1:n} \neq \Phi \\ 0 \text{ (reject) otherwise} \end{cases}$$

PODS:

$$\mathcal{Z}^{1:n} = \{\mathbf{Z}^{1:n} \mid \mathbf{z}(k) \in \mathcal{S}(k) \text{ and } \varepsilon(\mathbf{X}^{1:n}) < \delta\}$$



Dezhen Song and Yiliang Yu, *Low False Negative Filter for Detecting Rare Bird Species from Short Video Segments using a Probable Observation Data Set-based EKF Method*, IEEE Transactions on Image Processing, vol. 19, no. 9, Sept. 2010, pp. 2321-2331

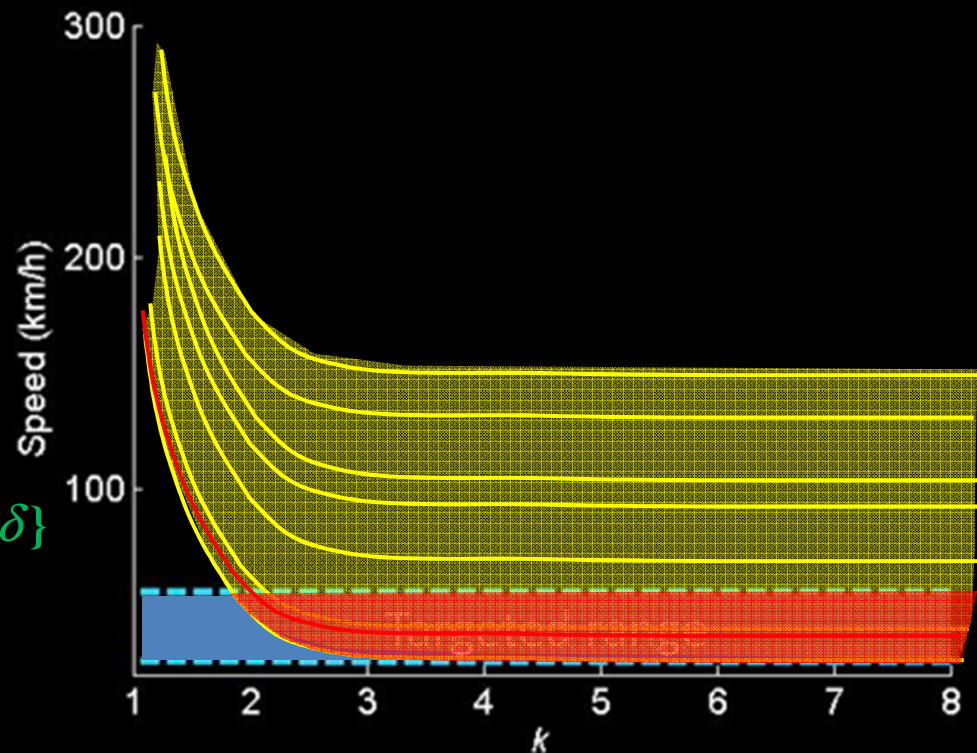
# PODS-EKF Approximate Computation

$$\tilde{\mathbf{Z}}^{1:n} = \arg \min_{\mathbf{z}(k) \in \mathcal{S}(k)} \varepsilon(\mathbf{X}^{1:n})$$

$$\begin{aligned} \hat{\mathbf{x}}(k|k-1) &= A(k)\hat{\mathbf{x}}(k-1|k-1), \\ \hat{P}(k|k-1) &= A(k)\hat{P}(k-1|k-1)A^T(k) + Q(k), \\ K(k) &= \frac{\hat{P}(k|k-1)H^T(k)}{H(k)\hat{P}(k|k-1)H^T(k) + W(k)}, \\ \hat{\mathbf{x}}(k|k) &= \hat{\mathbf{x}}(k|k-1) + K(k)(\mathbf{z}(k) - h(\hat{\mathbf{x}}(k|k-1))), \\ \hat{P}(k|k) &= (\mathbf{I}_{6 \times 6} - K(k)H(k))\hat{P}(k|k-1), \end{aligned}$$

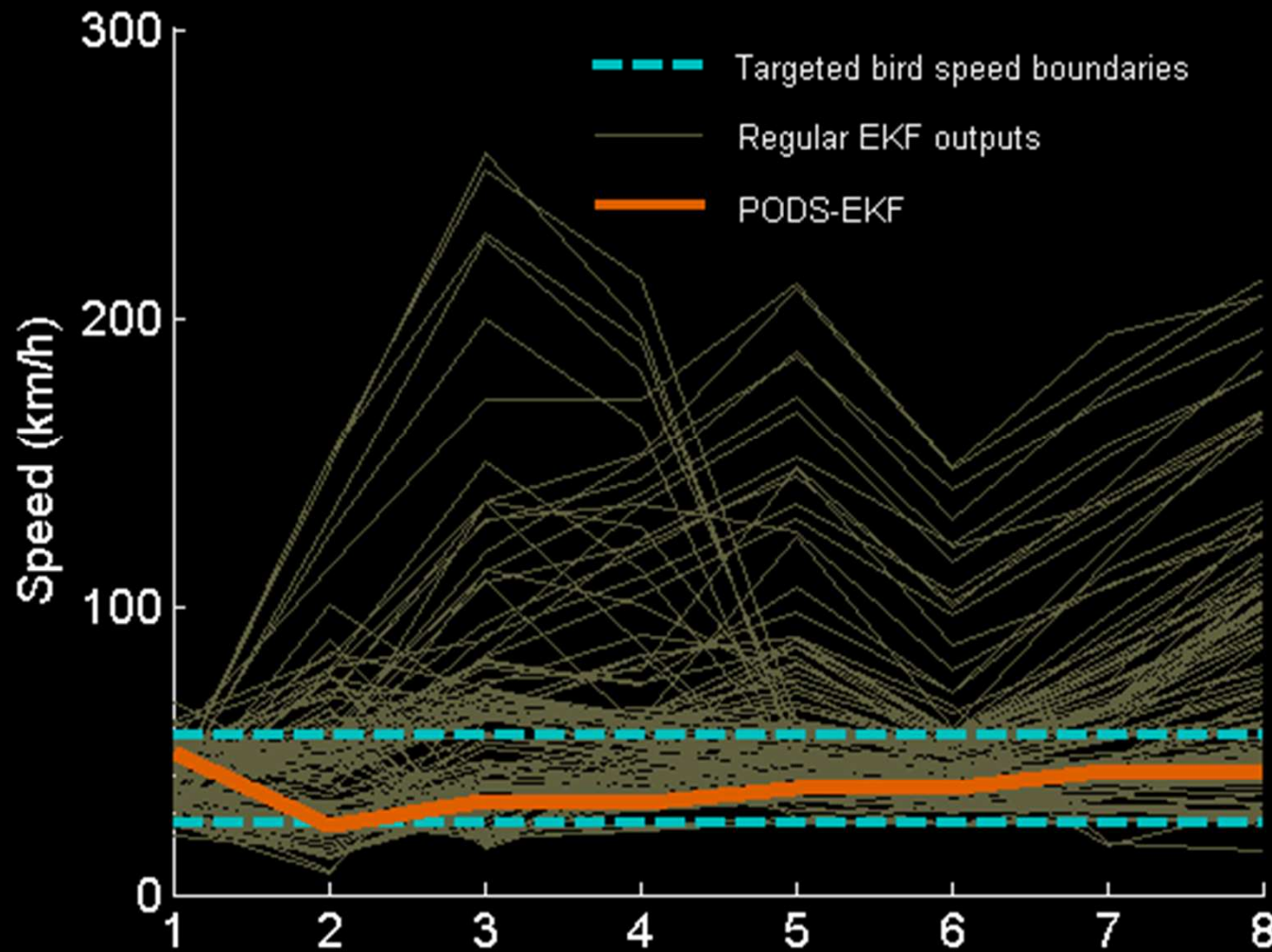
$$\mathbf{Z}^{1:n} = \{\mathbf{Z}^{1:n} \mid \mathbf{z}(k) \in \mathcal{S}(k) \text{ and } \varepsilon(\mathbf{X}^{1:n}) < \delta\}$$

$$\|\tilde{\mathbf{v}}(n|n)\| \in \mathcal{V}$$



Dezhen Song and Yiliang Yu, *Low False Negative Filter for Detecting Rare Bird Species from Short Video Segments using a Probable Observation Data Set-based EKF Method*, IEEE Transactions on Image Processing, vol. 19, no. 9, Sept. 2010, pp. 2321-2331

# PODS-EKF Approximate Computation



Dezhen Song and Yiliang Yu, *Low False Negative Filter for Detecting Rare Bird Species from Short Video Segments using a Probable Observation Data Set-based EKF Method*, IEEE Transactions on Image Processing, vol. 19, no. 9, Sept. 2010, pp. 2321-2331

# Algorithm

---

**Algorithm 1:** PODS-EKF based Bird Detection Algorithm

---

**input** :  $n$  frames with a segmented motion sequence

**output:** TRUE or FALSE for the targeted species.

**for** *the segmented motion block in  $i$ -th frame* **do**

└ calculate the geometric center point  $C_i$  of the bird;

Connect  $C_i$ ,  $i = 1, 2, \dots, n$  to generate a piecewise linear trajectory;

Obtain  $\bar{\theta}$  from the trajectory;

**for** *the segmented motion block in  $i$ -th frame* **do**

└ Obtain  $\mathbf{z}(i)$  using the BBAF in (2);

Initialize the EKF using (20) and (21);

Solve the constrained nonlinear optimization problem in (14);

**if**  $\|\tilde{\mathbf{v}}(n|n)\| \in \mathcal{V}$  **AND**  $\varepsilon(\tilde{\mathbf{X}}^{1:n}) < \delta$  **then**

└ **return** TRUE;

**else**

└ **return** FALSE;

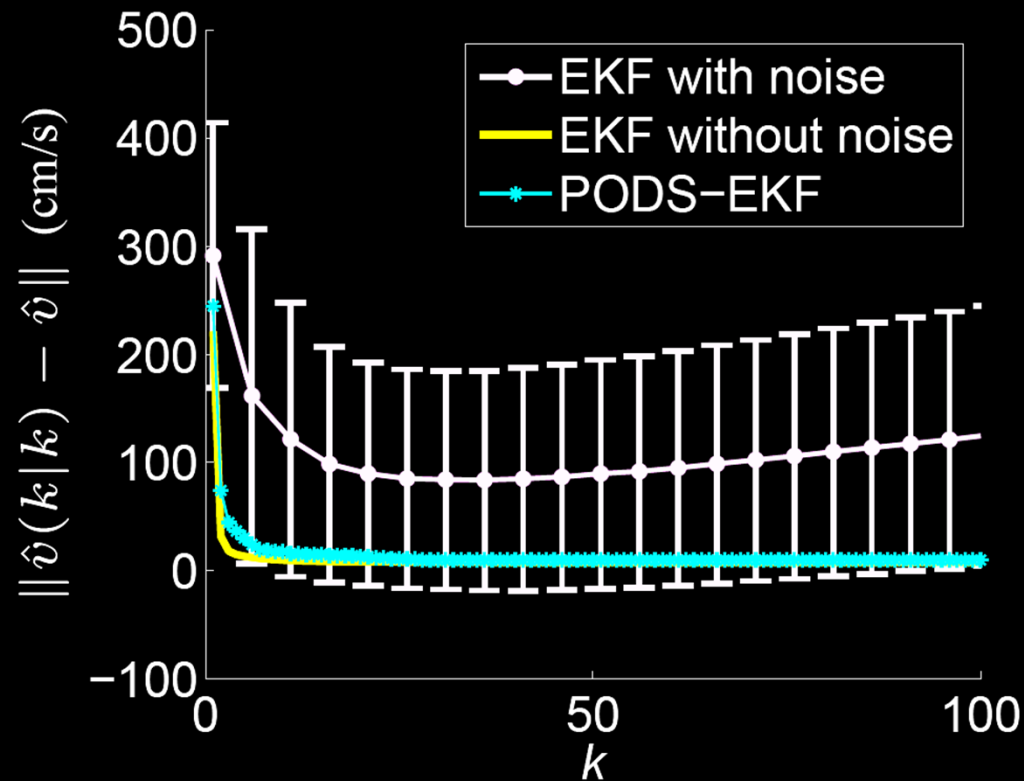
---

# Experiments

- Both simulated and real data
- A desktop PC with an Intel Core 2 Duo 2.13GHz CPU and 2GB RAM
- Matlab 7.0 (motion detection) and Visual C++ 8.0 (PODS-EKF)
- Arecont AV3100 camera
- Bird species tested:

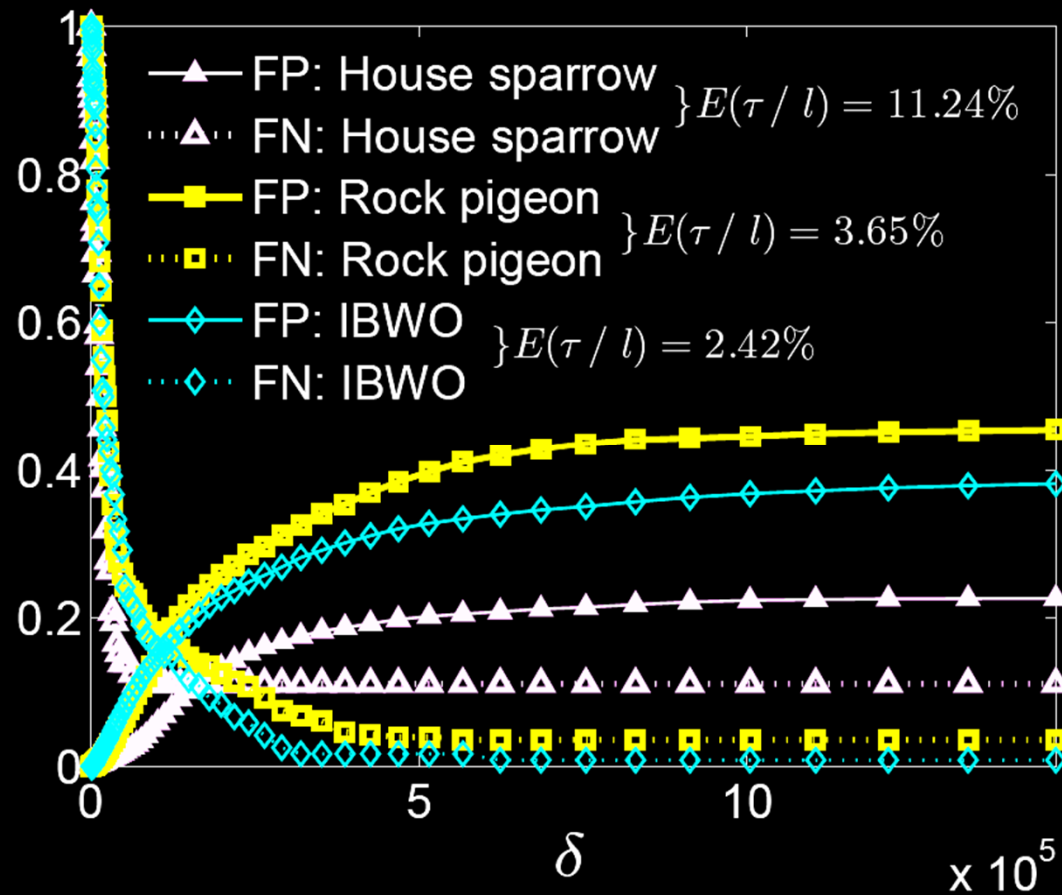
Species	$l_b$ (cm)	$\mathcal{V}$ (km/h)
House sparrow	15	[29, 40]
Rock pigeon	33	[24, 56]
Ivory-billed woodpecker(IBWO)	48	[32, 64]
Red-tailed hawk	56	[32, 64]

# Convergence of different EFKs on Rock Pigeon



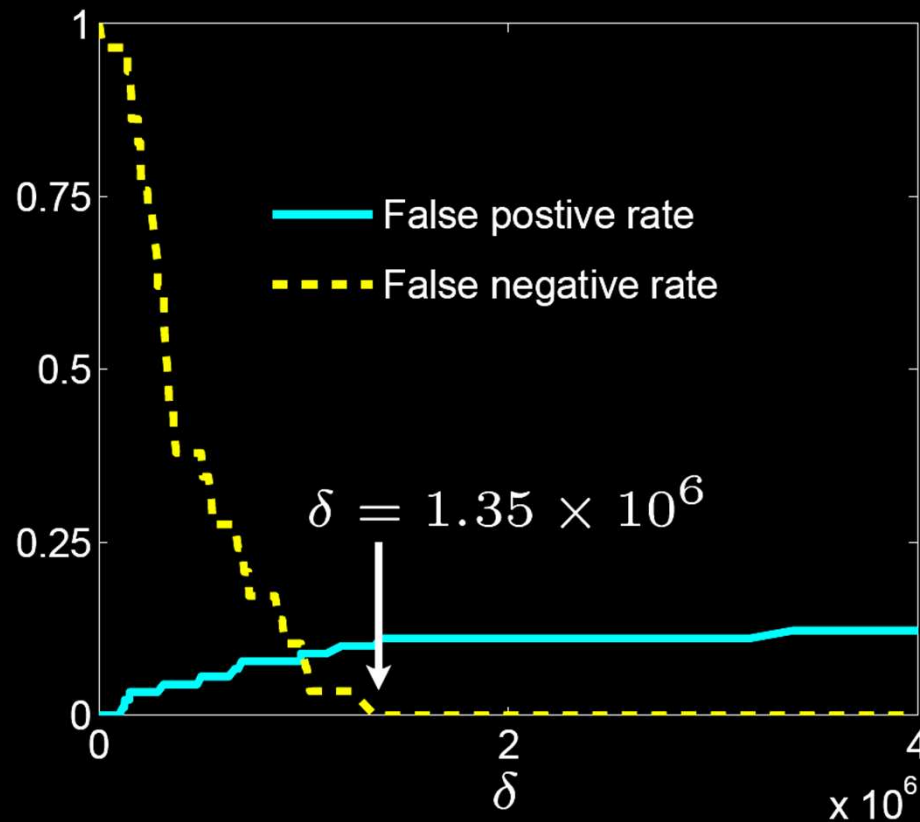


# Simulation on three birds



# Physical Experiment on Rock Pigeon

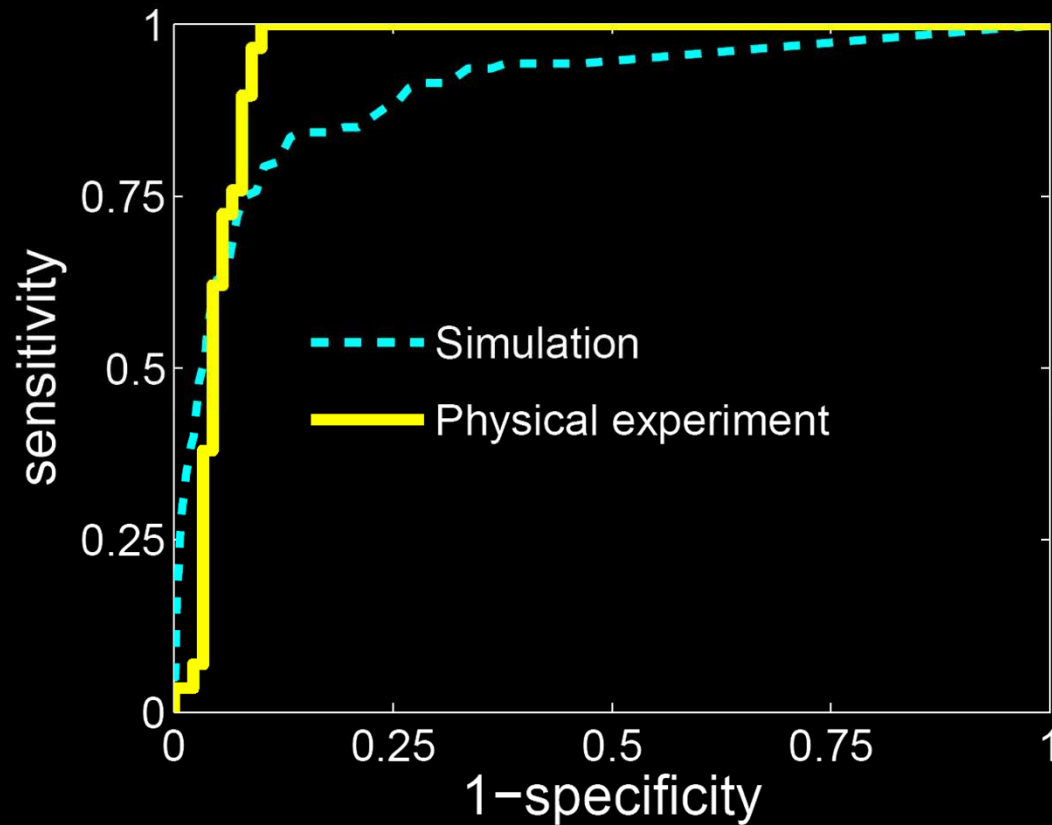
	Pigeon	Not pigeon
Predicted pigeon	29	9
Predicted not pigeon	0	81



Insects, falling leaves,  
other birds, etc.



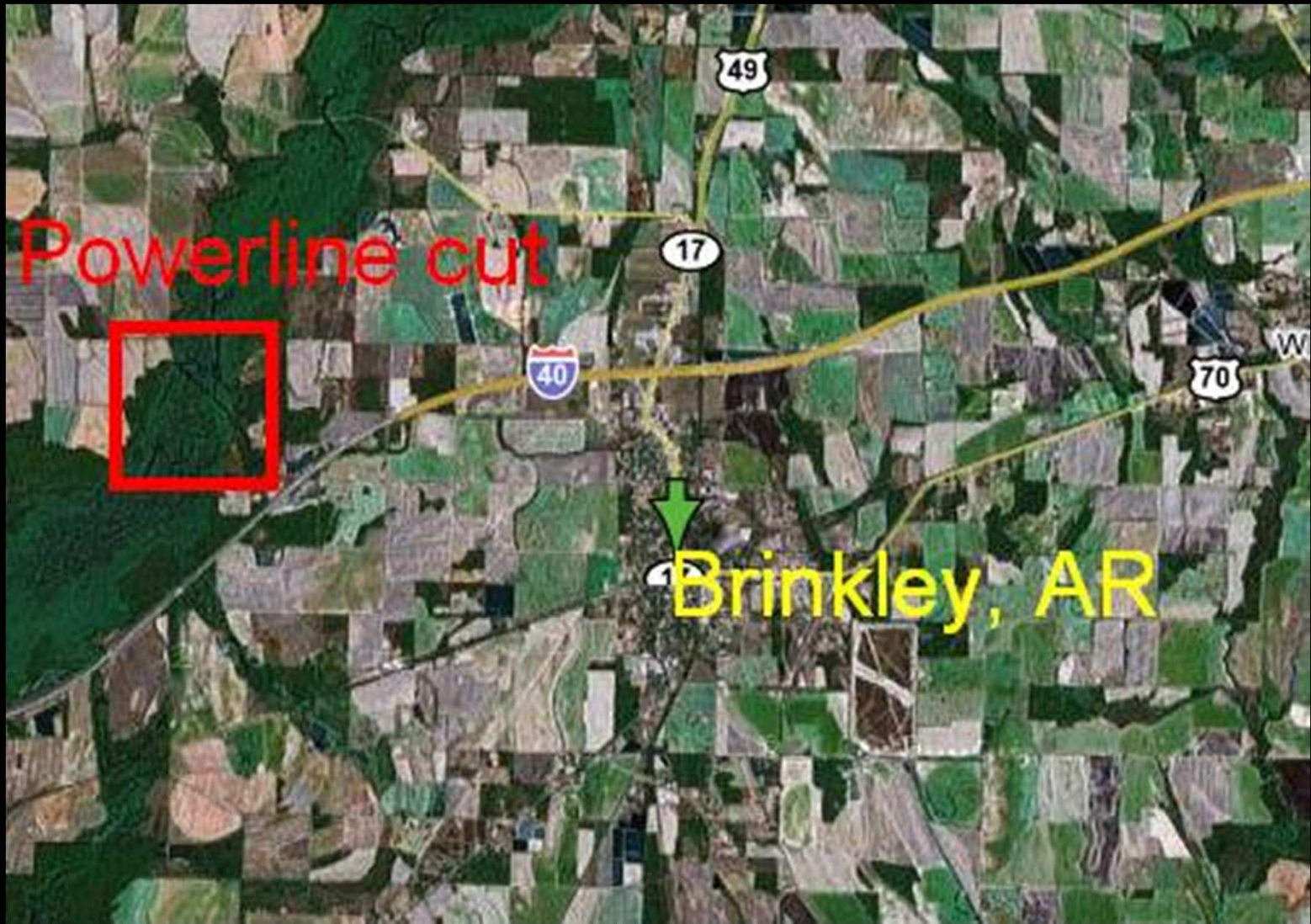
# ROC Curves for Rock Pigeon



Area under ROC curve: 91.5% in Simulation; 95.0% in Experiment.







Powerline cut



Brinkley, AR





















# Data reduction

- Oct. 2006 – Oct. 2007
- Motion detection: 29.41 TB to 27.42 GB
- PODS-EKF: 27.42 GB to 146.7 MB (~960 images)
- Overall reduction rate: 99.9995%



# What we found



Pileated woodpecker (cousin of IBWO)



Northern flicker (smaller than IBWO)





Red-tailed Hawk (larger than IBWO)

# Conclusion

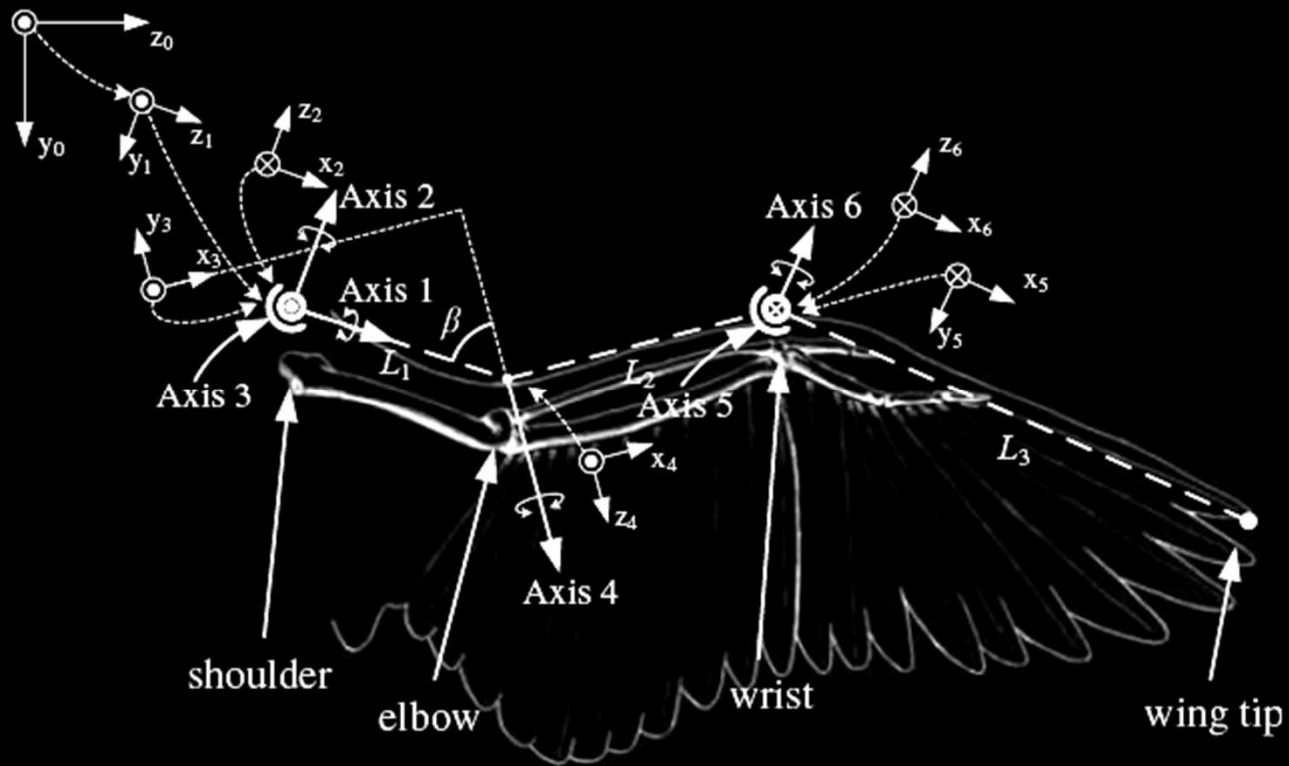
- Low false negative bird filter: PODS-EKF
- Cope with insufficient noisy observation data
- 95% area under ROC curve
- 99.9995% data reduction

# Current and Future Work

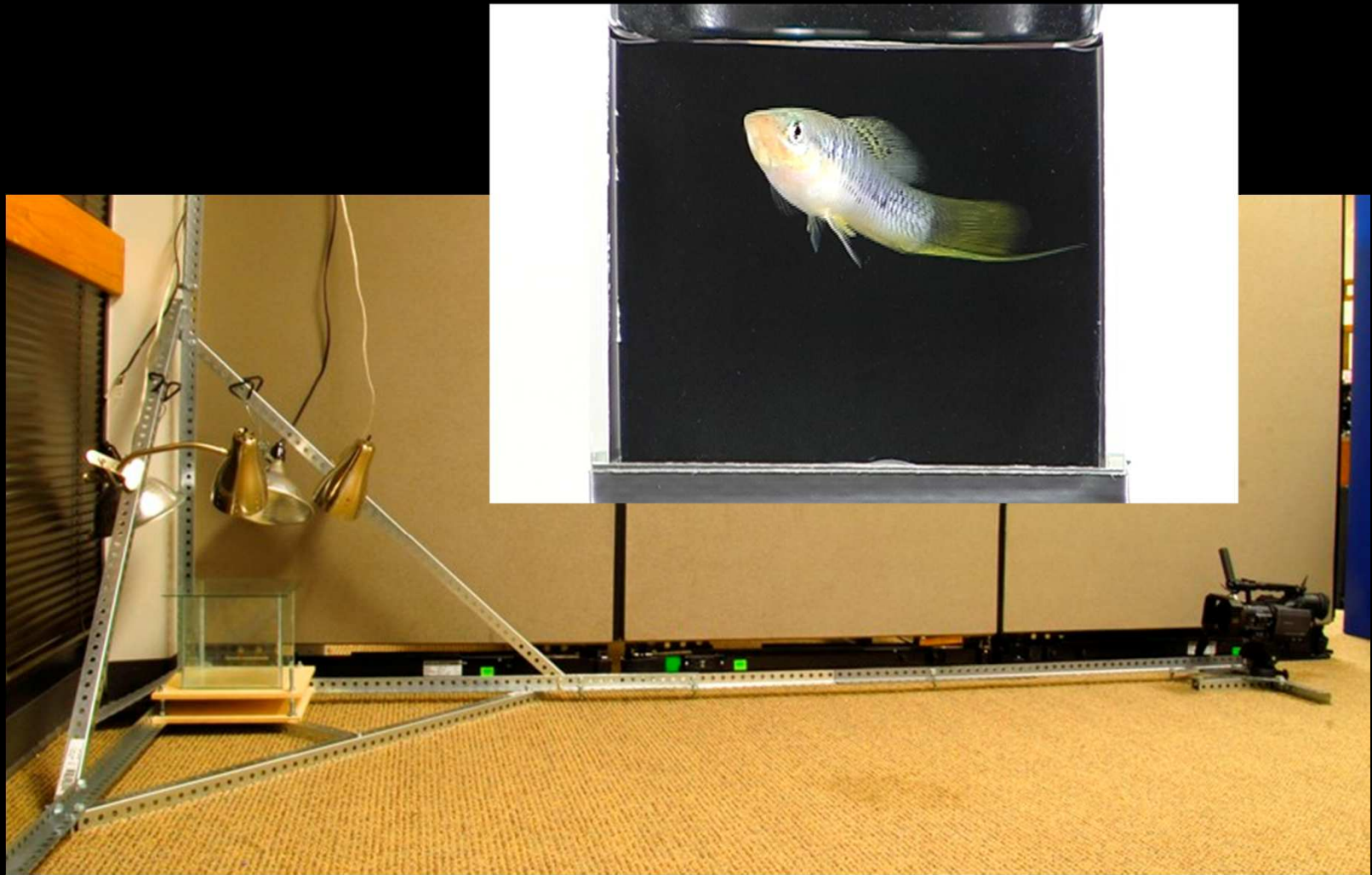
- Examine wing-flapping motion
  - Wingbeat frequency is unique for each species



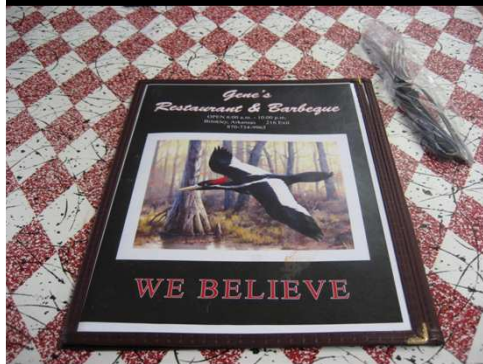
# Wing Kinematic Model



# Current & Future Work: AnyFish







Thanks!

Websites:

<http://telerobot.cs.tamu.edu>

<http://rbt.cs.tamu.edu/>





Seagull: Mean 2.74 Hz  
S.D. 0.22 Hz

